

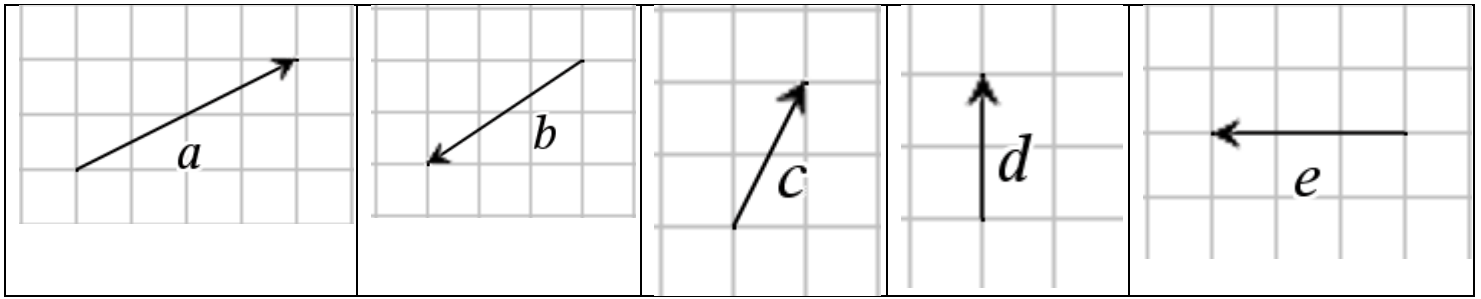
Use the given vectors \vec{a} , \vec{b} , \vec{c} , \vec{d} , & \vec{e} to answer the questions below

- Write vector \vec{a} as a linear combination of vectors d and e _____
(note linear combination “fancy way to say vector equation”)
- State the direction vector for w that is related to the vector polygon $w = 5a+2b-6e$ _____
- State the direction vectors that are orthogonal _____
- State the direction vectors that are drawn in opposite directions _____,
if not possible state why not _____
- State the direction vectors that are parallel _____,
if not possible state why not _____
- Which vectors can be written as a scalar multiple of a single unit vector? _____
- Write each of the vectors above as a unit vector in component form

Unit vector related to Vector a	Unit vector related to Vector a	Unit vector related to Vector a	Unit vector related to Vector a	Unit vector related to Vector a

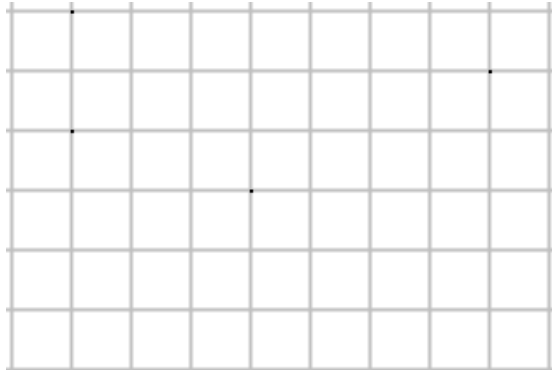
- Write each of the vectors above in polar coordinate form (r, θ)

Unit vector related to Vector a	Unit vector related to Vector a	Unit vector related to Vector a	Unit vector related to Vector a	Unit vector related to Vector a



Use the given vectors \vec{a} , \vec{b} , \vec{c} , \vec{d} , & \vec{e} to answer the questions below

Draw the vector PARALLELOGRAM related to $\vec{f} = \vec{a} + \vec{b}$



9. State vector f in all formats and name the format

$\vec{f} = \begin{bmatrix} \quad \\ \quad \end{bmatrix}$ _____

$\vec{f} = \langle \quad, \quad \rangle$ _____

$\vec{f} = \quad \mathbf{i} + \quad \mathbf{j}$ _____

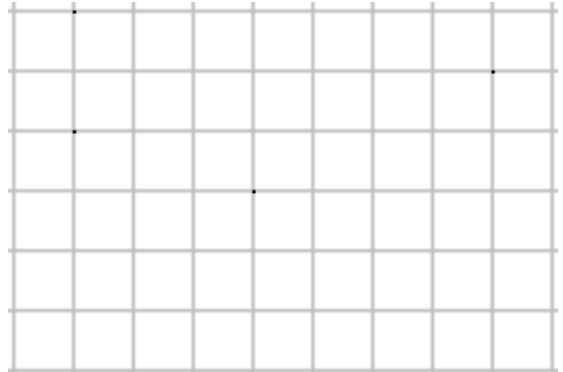
$\vec{f} = (\quad, \quad)$ _____

10. Determine the angle formed with vector f and the x axis if vector f were drawn from the origin

11. Give all vectors that are parallel to vector f with a length of p

12. Give a vector that is orthogonal to vector f with length 10

Draw the angle formed by \vec{a} & \vec{b}



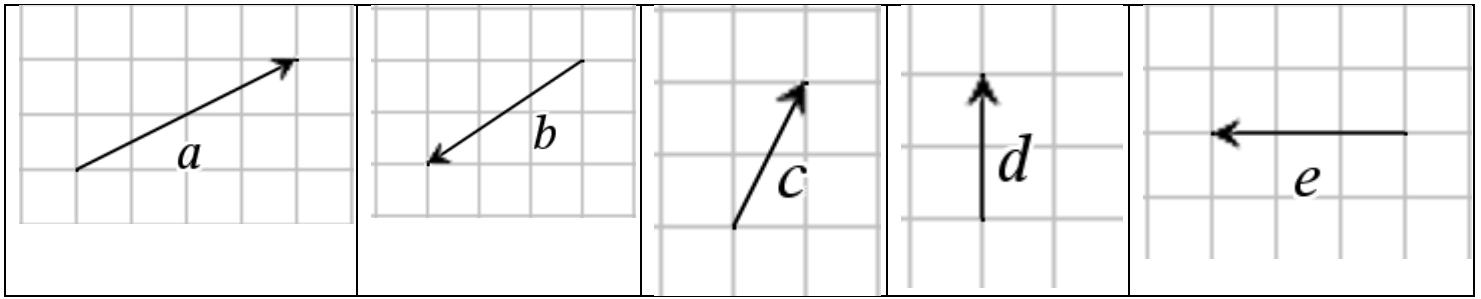
13. What is the dot product of \vec{a} , \vec{b} ?

14. What is the EXACT value of the angle formed by the vectors \vec{a} , \vec{b} ?
Hint you will need inverse trigonometry to do this

15. What is the APPROXIMATE value of the angle formed by the vectors \vec{a} , \vec{b} ?

16. Name the TWO resultant vector's direction in component form if you connect the endpoints of each vector \vec{a} , \vec{b}

$\vec{g} = \langle \quad, \quad \rangle$ and $\vec{h} = \langle \quad, \quad \rangle$



Use the given vectors \vec{a} , \vec{b} , \vec{c} , \vec{d} , & \vec{e} to answer the questions below

Draw the vector POLYGON related to $\vec{m} = 2\vec{c} + 3\vec{e} - \vec{a}$



17. State vector m in all formats

$$\vec{m} = \langle \quad, \quad \rangle \quad \vec{m} = \begin{bmatrix} \quad \\ \quad \end{bmatrix}$$

$$\vec{m} = \quad \mathbf{i} + \quad \mathbf{j}$$

$$\vec{m} = (\quad, \quad)$$

19. Give all vectors that are orthogonal to vector m with a length of w

18. Determine the angle formed with vector m and the x axis if vector m were drawn from the origin

Draw the angle formed by \vec{m} & \vec{d}

20. What is the dot product of \vec{m} , \vec{d} ?

21. What is the EXACT value of the angle formed by the vectors \vec{m} , \vec{d} ?
Hint you will need inverse trigonometry to do this

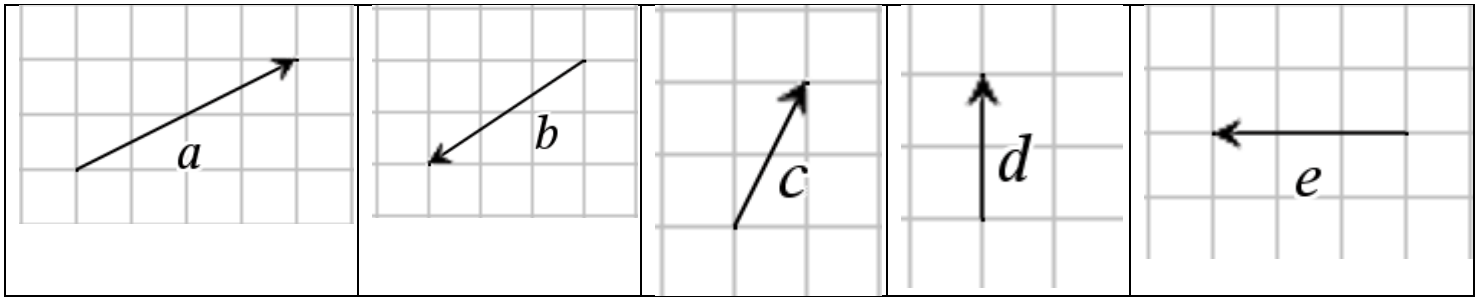
22. What is the APPROXIMATE value of the angle formed by the vectors \vec{m} , \vec{d} ?

23. Name the TWO resultant vector's direction in component form if you connect the endpoints of each vector \vec{m} , \vec{d} ?

$$\vec{n} = \begin{bmatrix} \quad \\ \quad \end{bmatrix}$$

and

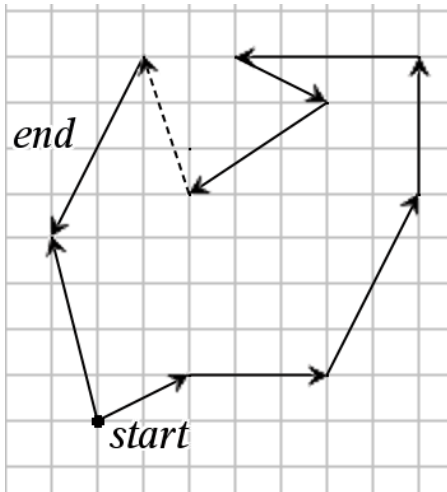
$$\vec{r} = \begin{bmatrix} \quad \\ \quad \end{bmatrix}$$



Use the given vectors \vec{a} , \vec{b} , \vec{c} , \vec{d} , & \vec{e} to answer the questions below

Write the equation for the vector POLYGON related to \vec{t} using \vec{a} , \vec{b} , \vec{c} , \vec{d} , & \vec{e}

You need to use all of the vectors, or a scalar multiple of the vectors \vec{a} , \vec{b} , \vec{c} , \vec{d} , & \vec{e}



Hint: the dotted vector is difficult!

24. Write the vector polygon equation for vector \vec{t} in the figure above

25. State vector \vec{t} in all formats

$$\vec{t} = \langle \quad, \quad \rangle \quad \vec{t} = \begin{bmatrix} \quad \\ \quad \end{bmatrix}$$

$$\vec{t} = \underline{\quad} \mathbf{i} + \underline{\quad} \mathbf{j}$$

$$\vec{t} = (\quad, \quad)$$

26. Write vector \vec{t} as ONLY a linear combination of \vec{d} and \vec{e}

27. Give all vectors that are in the opposite direction to vector \vec{t} with a length of twice that of vector \vec{a}

28. What is the missing component is vector \vec{v} is parallel to vector \vec{c} ?

$$\vec{v} = \begin{bmatrix} -1.8 \\ \quad \end{bmatrix}$$

29. Using real scalars q and z with $q > 0$ and $z < 0$ State the set of vectors that is parallel in the same direction to vector \vec{b} ?

$$\begin{bmatrix} \quad \\ \quad \end{bmatrix}$$

30. Using real scalars q and z with $q > 0$ and $z < 0$ State the set of vectors that is parallel in the opposite direction to vector \vec{a} ?

$$\begin{bmatrix} \quad \\ \quad \end{bmatrix}$$

Sometimes/Always/Never If you respond sometimes, then you need to explain why

31. _____ If a vector's DOT PRODUCT is zero, then the vectors form a 0° angle
32. _____ If a vector's DOT PRODUCT is zero, then the vectors form a 90° angle
33. _____ If a vector's DOT PRODUCT is 0, then the vectors form a 180° angle
34. _____ If a vector's DOT PRODUCT is 0, then the vectors form an acute angle
35. _____ If a vector's DOT PRODUCT is 0, then the vectors form an obtuse angle
36. _____ If a vector's DOT PRODUCT is positive, then the vectors form a 0° angle
37. _____ If a vector's DOT PRODUCT is positive, then the vectors form a 90° angle
38. _____ If a vector's DOT PRODUCT is positive, then the vectors form a 180° angle
39. _____ If a vector's DOT PRODUCT is positive, then the vectors form an acute angle
40. _____ If a vector's DOT PRODUCT is positive, then the vectors form an obtuse angle
41. _____ If a vector's DOT PRODUCT is negative, then the vectors form a 0° angle
42. _____ If a vector's DOT PRODUCT is negative, then the vectors form a 90° angle
43. _____ If a vector's DOT PRODUCT is negative, then the vectors form a 180° angle
44. _____ If a vector's DOT PRODUCT is negative, then the vectors form an acute angle
45. _____ If a vector's DOT PRODUCT is negative, then the vectors form an obtuse angle

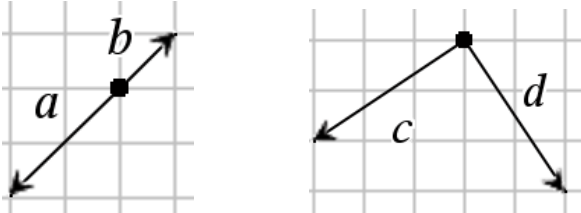
$$\cos \theta = \frac{a \cdot b}{|a||b|}$$

- | | |
|---|--|
| 46. _____ If $\frac{a \cdot b}{ a b } = 0$,
then the vectors form a 0° angle | 49. _____ If $\frac{a \cdot b}{ a b } = 0$,
then the vectors form a 90° angle |
| 47. _____ If $\frac{a \cdot b}{ a b } = 1$,
then the vectors form a 0° angle | 50. _____ If $\frac{a \cdot b}{ a b } = 1$,
then the vectors form a 90° angle |
| 48. _____ If $\frac{a \cdot b}{ a b } = -1$,
then the vectors form a 0° angle | 51. _____ If $\frac{a \cdot b}{ a b } = -1$,
then the vectors form a 90° angle |

52. _____ If $\frac{a \cdot b}{|a||b|} = 0$,
then the vectors form a 180° angle

53. _____ If $\frac{a \cdot b}{|a||b|} = 1$,
then the vectors form a 180° angle

54. _____ If $\frac{a \cdot b}{|a||b|} = -1$,
then the vectors form a 180° angle



Use vectors a, b, c, and d for the next questions only

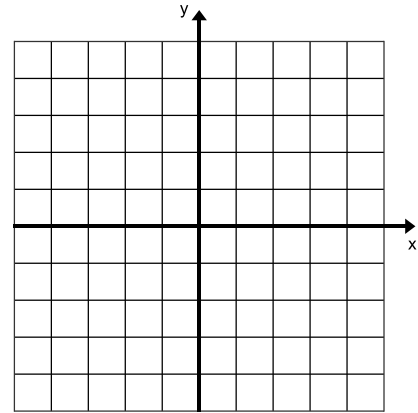
55. Vector _____ is a scalar multiple of _____

Write the smaller vector as a scalar multiple of the larger vector

56. Vector _____ & _____ are orthogonal

57. Draw these vectors from the same endpoint

$$\vec{a} = \langle 1, 2 \rangle \quad \vec{b} = \begin{bmatrix} 2 \\ 4 \end{bmatrix}$$



58. State the related dot product _____

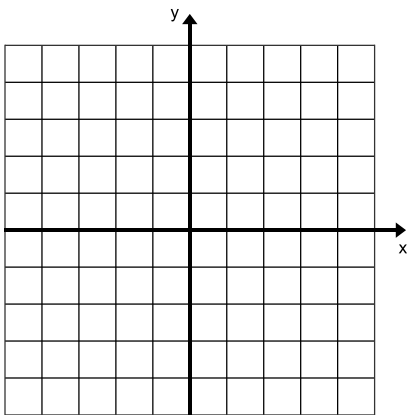
59. State the related $\frac{a \cdot b}{|a||b|}$ _____

60. These vectors are _____

- Parallel in same direction
- Parallel in opposite direction
- Orthogonal
- None of these

61. Draw these vectors from the same endpoint

$$\vec{c} = \langle 1, -2 \rangle \quad \vec{d} = \begin{bmatrix} 4 \\ 2 \end{bmatrix}$$



62. State the related dot product _____

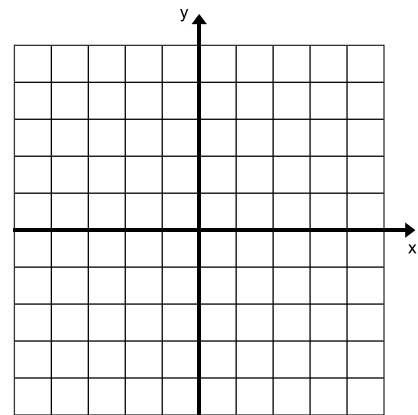
63. State the related $\frac{c \cdot d}{|c||d|}$ _____

64. These vectors are _____

- Parallel in same direction
- Parallel in opposite direction
- Orthogonal
- None of these

65. Draw these vectors from the same endpoint

$$\vec{e} = \langle -1, 2 \rangle \quad \vec{f} = \begin{bmatrix} 2 \\ -4 \end{bmatrix}$$



66. State the related dot product _____

67. State the related $\frac{e \cdot f}{|e||f|}$ _____

68. These vectors are _____

- Parallel in same direction
- Parallel in opposite direction
- Orthogonal
- None of these