$\qquad$
$\qquad$

1. $f(x)=\frac{-x^{2}-4 x-4}{x^{2}-4}=\frac{-1(x+2)(x+2)}{(x-2)(x+2)}$

| Completely simplified function <br> (if simplification is possible) | X intercept(s) <br> State as a point | Y intercept <br> State as a point | Vertical Asymptote(s) <br> State as a line | Horizontal <br> Asymptote <br> State as a line | Hole(s) <br> State as a point |
| :--- | :--- | :--- | :--- | :--- | :--- |
|  |  |  |  |  |  |

2. Label the given graph with the points, holes, and asymptotes from the table above

Hole and Points need coordinates
Asymptotes need equations of lines

Show any necessary work here

3. State the domain of the rational function using two different methods

## Method 1

Method 2
4. Complete the behavior statements with the appropriate value of $y$ or $+\infty$ or $-\infty$

As $x \rightarrow-2^{-} y \rightarrow$ $\qquad$
(this asks as $x$ approaches -2 from the left, what $y$ value does the function approach?)
As $x \rightarrow 2^{+} y \rightarrow$ $\qquad$
(this asks as $x$ approaches 2 from the right, what $y$ value does the function approach?)

As $\mathrm{x} \rightarrow-\infty \mathrm{y} \rightarrow$ $\qquad$
(this asks "what is the left end behavior of the function?)
As $x \rightarrow \infty y \rightarrow$
(this asks "what is the right end behavior of the function?)
5. $g(x)=\frac{x^{2}-4 x}{x^{2}-4}=\frac{x(x-4)}{(x-2)(x+2)}$

| Completely simplified function <br> (if simplification is possible) | X intercept(s) <br> State as a point | Y intercept <br> State as a point | Vertical Asymptote(s) <br> State as a line | Horizontal <br> Asymptote <br> State as a line | Hole(s) <br> State as a point |
| :--- | :--- | :--- | :--- | :--- | :--- |
|  |  |  |  |  |  |

6. Label the given graph with the points, holes, and asymptotes from the table above

Hole and Points need coordinates
Asymptotes need equations of lines

Show any necessary work here

7. State the domain of the rational function using two different methods

Method 1

Method 2
8. Complete the behavior statements with the appropriate value of y or $+\infty$ or $-\infty$

As $x \rightarrow-2^{-} y \rightarrow$ $\qquad$
(this asks as $x$ approaches -2 from the left, what $y$ value does the function approach?)
As $x \rightarrow 4^{+} y \rightarrow$ $\qquad$
(this asks as $x$ approaches 4 from the right, what $y$ value does the function approach?)

As $\mathrm{x} \rightarrow-\infty \mathrm{y} \rightarrow$
(this asks "what is the left end behavior of the function?)
As $x \rightarrow \infty y \rightarrow$ $\qquad$
(this asks "what is the right end behavior of the function?)
9. $h(x)=\frac{x^{3}-4 x^{2}-12 x}{x^{2}-x}=\frac{x(x-6)(x+2)}{x(x-1)}$

| Completely simplified function <br> (if simplification is possible) | X intercept(s) <br> State as a point | Y intercept <br> State as a point | Vertical Asymptote(s) <br> State as a line | Horizontal <br> Asymptote <br> State as a line | Hole(s) <br> State as a point |
| :--- | :--- | :--- | :--- | :--- | :--- |
|  |  |  |  |  |  |

10. Label the given graph with the points, holes, and asymptotes from the table above

Hole and Points need coordinates
Asymptotes need equations of lines

Show any necessary work here

11. State the domain of the rational function using two different methods

## Method 1

Method 2
12. Complete the behavior statements with the appropriate value of y or $+\infty$ or $-\infty$

As $x \rightarrow 1^{-} \mathrm{y} \rightarrow$ $\qquad$
(this asks as $x$ approaches 1 from the left, what $y$ value does the function approach?)
As $\mathrm{x} \rightarrow 0^{+} \mathrm{y} \rightarrow$ $\qquad$
(this asks as x approaches 0 from the right, what y value does the function approach?)

As $\mathrm{x} \rightarrow-\infty \mathrm{y} \rightarrow$ $\qquad$
(this asks "what is the left end behavior of the function?)

As $x \rightarrow \infty y \rightarrow$
(this asks "what is the right end behavior of the function?)
13. $j(x)=\frac{x^{2}-4 x}{4 x^{3}+8 x}=\frac{x(x-4)}{4 x\left(x^{2}+8\right)}$

| Completely simplified function <br> (if simplification is possible) | X intercept(s) <br> State as a point | Y intercept <br> State as a point | Vertical Asymptote(s) <br> State as a line | Horizontal <br> Asymptote <br> State as a line | Hole(s) <br> State as a point |
| :--- | :--- | :--- | :--- | :--- | :--- |
|  |  |  |  |  |  |

14. Label the given graph with the points, holes, and asymptotes from the table above

Hole and Points need coordinates
Asymptotes need equations of lines

Show any necessary work here

15. State the domain of the rational function using two different methods

Method 1

Method 2
16. Complete the behavior statements with the appropriate value of y or $+\infty$ or $-\infty$

As $x \rightarrow 5^{-} y \rightarrow$ $\qquad$
(this asks as x approaches 1 from the left, what y value does the function approach?)
As $x \rightarrow 0^{+} y \rightarrow$ $\qquad$
(this asks as x approaches 0 from the right, what y value does the function approach?)

As $x \rightarrow-\infty y \rightarrow$ $\qquad$
(this asks "what is the left end behavior of the function?)

As $x \rightarrow \infty y \rightarrow$
(this asks "what is the right end behavior of the function?)

